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**REMARKS ON "CERTAIN INTEGRALS INVOLVING  
HYPERGEOMETRIC FUNCTIONS OF THREE AND FOUR VARIABLES"  
BY SUNIL JOSHI AND S.S. BHATI (Jñānābha, 27 (1997), 93-98)**

By

**R.C. Singh Chandel and S.S. Chauhan**

Department of Mathematics, D.V. Postgraduate College, Orai-285001, U.P., India

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**The result can be obtained by the operator in place of operator**

- |                              |   |   |
|------------------------------|---|---|
| $(1) [1, \text{p.94 (I)}]$   | $\exp(uE_\alpha + vE_\beta + wE_\gamma)$  | $\exp(uE_\alpha E_\alpha + vE_\beta E_\beta + wE_\gamma E_\gamma)$                      |
| $(2) [1, \text{p.94 (II)}]$  | $\exp(uE_\gamma E_\gamma + vE_\alpha E_\alpha + wE_\beta)$                              | $\exp(uE_\gamma E_\gamma + vE_\alpha E_\alpha + wE_\beta E_\beta)$                      |
| $(3) [1, \text{p.94 (III)}]$ | $\exp[(uE_\gamma E_\gamma + vE_\alpha + wE_\beta)E_\alpha]$                             | $\exp[(uE_\gamma E_\gamma + vE_\alpha + wE_\beta E_\beta)E_\alpha]$                     |
| $(4) [1, \text{p.94 (IV)}]$  | $\exp(uE_\gamma E_\gamma + vE_\alpha + wE_\beta + tE_\delta E_\delta)$                  | $\exp(uE_\gamma E_\gamma + vE_\alpha E_\alpha + wE_\beta E_\beta + tE_\delta E_\delta)$ |
| $(5) [1, \text{p.94 (V)}]$   | $\exp(uE_\gamma E_\gamma + vE_\delta E_\delta + wE_\alpha + tE_\beta)$                  | $\exp(uE_\gamma E_\gamma + vE_\delta E_\delta + wE_\alpha E_\alpha + tE_\beta E_\beta)$ |
| $(6) [1, \text{p.94 (VI)}]$  | $\exp(uE_\gamma E_\gamma + vE_\alpha E_\alpha + wE_\delta E_\delta + tE_\beta E_\beta)$ | $\exp(uE_\gamma E_\gamma + vE_\alpha E_\alpha + wE_\delta E_\delta + E_\beta E_\beta)$  |

The result [1,p.94 (II)] for  $w=0$ , reduces to

$$(7) \quad \int_{-\infty}^{\infty} \frac{\sin(2n+1)\pi x}{\sin \pi x \Gamma(\alpha+x) \Gamma(\beta-x)} {}_2F_1[\alpha+\beta, \alpha'; \alpha+x; v] dx$$

$$= \frac{2^{\alpha+\beta-2}}{\Gamma(\alpha+\beta-1)} {}_2F_1[\alpha+\beta, \alpha'; \alpha+\beta-1; 2v], \operatorname{Re}(\alpha+\beta) > 1$$

in place of [1,p.97 (3.2)].

In right hand side of [(1, p.97, (3.3)], in place of  $F_2$  there should be  $F_1$ . Thus the particular cases [1,p.97, (3.1), (3.3), (3.4)] of [1, p.94, (I), (II), (III)] for  $u=0$ , are all same.

### REFERENCE

- [1] S. Joshi and S.S. Bhati, Certain integrals involving hypergeometric functions of three and four variables, *Jñānābha* 27 (1997), 93-98.